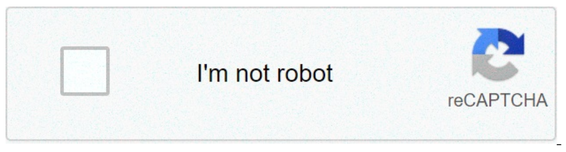

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Sorting algorithms complexity

In this blog, we will analyze and compare different sorting algorithms on the basis of different parameters like Time Complexity, In-place, Stability, etc.In a comparison based sorting algorithms, we compare elements of an array with each other to determines which of two elements should occur first in the final sorted list. All comparison-based sorting algorithms have a complexity lower bound of nlogn. (Think!)Here is the comparison of time and space complexities of some popular comparison based sorting algorithms: There are sorting algorithms that use special information about the keys and operations other than comparison to determine the sorted order of elements. Consequently, nlogn lower bound does not apply to these sorting algorithms. A sorting algorithm is In-place if the algorithm does not use extra space for manipulating the input but may require a small though nonconstant extra space for its operation. Or we can say, a sorting algorithm sorts in-place if only a constant number of elements of the input array are ever stored outside the array. A sorting algorithm is stable if it does not change the order of elements with the same value. Online/Offline: The algorithm that accepts a new element while the sorting process is going on, that algorithm is called the online sorting algorithm. From, the above sorting algorithms, the insertion sort is online.Understanding the sorting algorithms are the best way to learn problem solving and complexity analysis in the algorithms. In some cases, We often use sorting as a key routine to solve several coding problems.Knowing which algorithm is best possible depends heavily on details of the application and implementation. In most practical situations, quicksort is a popular algorithm for sorting large input arrays because its expected running time is O(nlogn). It also outperforms heap sort in practice.If stability is important and space is available, the merge sort might be the best choice for the implementation. (Think!)Like insertion sort, quick sort has tight code and hidden constant factor in its running time is small.When the input array is almost sorted or input size is small, then the insertion sort can be preferred.We can prefer merge sort for sorting a linked list. (Think!) Happy Coding, Enjoy Algorithms! Maplesoft™, eine Tochtergesellschaft der Cybernet Systems Co., Ltd. in Japan, ist ein führender Lieferant von Hochleistungs-Softwarewerkzeugen für Technik, Wissenschaft und Mathematik. Hinter den Produkten steht die Philosophie, dass Menschen mit großartigen Werkzeugen großartige Dinge schaffen können. Erfahren Sie mehr über Maplesoft Sorting algorithms are ways to organize an array of items from smallest to largest. These algorithms can be used to organize messy data and make it easier to use. Furthermore, having an understanding of these algorithms and how they work is fundamental for a strong understanding of Computer Science which is becoming more and more critical in a world of premade packages. This blog focuses on the speed, uses, advantages, and disadvantages of specific Sorting Algorithms. Although there is a wide variety of sorting algorithms, this blog explains Straight Insertion, Shell Sort, Bubble Sort, Quick Sort, Selection Sort, and Heap Sort. The first two algorithms (Straight Insertion and Shell Sort) sort arrays with insertion, which is when elements get inserted into the right place. The next 2 (Bubble Sort and Quick Sort) sort arrays with exchanging which is when elements move around the array. The last one is heap sort which sorts through selection where the right elements are selected as the algorithm runs down the array. Big-O Notation Before this blog goes any further, it is essential to explain the methods that professionals use to analyze and assess algorithm complexity and performance. The current standard is called “Big O notation” named according to its notation which is an “O” followed by a function such as “O(n).” Formal definition Suppose f(x) and g(x) are two functions defined on some subset of the real numbers. We write f(x) = O(g(x)) (or f(x) = O(g(x)) for x -> ∞ to be more precise) if and only if there exist constants N and C such that |f(x)| N. Intuitively, this means that f does not grow faster than g. Big O is used to denote either the time complexity of an algorithm or how much space it takes up. This blog focuses mainly on the time complexity part of this notation. The way people can calculate this is by identifying the worst case for the targeted algorithm and formulating a function of its performance given an n amount of elements. For example, if there were an algorithm that searched for the number 2 in an array, then the worst case would be if the 2 was at the very end of the array. Therefore, the Big O notation would be O(n) since it would have to run through the entire n-element array before finding the number 2. To help you, find below a table with algorithms and its complexity. Straight Insertion Sort Straight insertion sort is one of the most basic sorting algorithms that essentially inserts an element into the right position of an already sorted list. It is usually added at the end of a new array and moves down until it finds an element smaller thank itself (the desired position). The process repeats for all the elements in the unsorted array. Consider the array {3,1,2,5,4}, we begin at 3, and since there are no other elements in the sorted array, the sorted array becomes just {3}. Afterward, we insert 1 which is smaller than 3, so it would move in front of 3 making the array {1,3}. This same process is repeated down the line until we get the array {1,2,3,4,5}. The advantages of this process are that it is straightforward and easy to implement. Also, it is relatively quick when there are small amounts of elements to sort. It can also turn into binary insertion which is when you compare over longer distances and narrow it down to the right spot instead of comparing against every single element before the right place. However, a straight insertion sort is usually slow whenever the list becomes large. Main Characteristics: Insertion sort family Straightforward and simple Worst case = O(n^2) Python implementation: #!/usr/bin/env python3 # -*- coding: utf-8 -*- """ Created on Sun Mar 10 17:13:56 2019 @note: Insertion sort algorithm @source: """ def insertionSort(alist): for index in range(1,len(alist)): currentvalue = alist[index] position = index while position>0 and alist[position-1]>currentvalue: alist[position]=alist[position-1] position = position-1 alist[position]=currentvalue Shell Sort Shell sort is an insertion sort that first partially sorts its data and then finishes the sort by running an insertion sort algorithm on the entire array. It generally starts by choosing small subsets of the array and sorting those arrays. Afterward, it repeats the same process with larger subsets until it reaches a point where the subset is the array, and the entire thing becomes sorted. The advantage of doing this is that having the array almost entirely sorted helps the final insertion sort achieve or be close to its most efficient scenario. Furthermore, increasing the size of the subsets is achieved through a decreasing increment term. The increment term essentially chooses every kth element to put into the subset. It starts large, leading to smaller (more spread out) groups, and it becomes smaller until it becomes 1 (all of the array). The main advantage of this sorting algorithm is that it is more efficient than a regular insertion sort. Also, there is a variety of different algorithms that seek to optimize shell sort by changing the way the increment decreases since the only restriction is that the last term in the sequence of increments is 1. The most popular is usually Knuth’s method which uses the formula h=((3^k)-1)/2 giving us a sequence of intervals of 1 (k=1),4 (k=2),13 (k=3), and so on. On the other hand, shell sort is not as efficient as other sorting algorithms such as quicksort and merge sort. Main Characteristics: Sorting by insertion Can optimize algorithm by changing increments Using Knuth’s method, the worst case is O(n^(3/2)) Python implementation: #!/usr/bin/env python3 # -*- coding: utf-8 -*- """ Created on Sun Mar 10 17:13:56 2019 @note: Insertion sort - Shell Method algorithm @source: """ def shellSort(alist): sublistcount = len(alist)//2 while sublistcount > 0: for start_position in range(sublistcount): gap_InsertionSort(alist, start_position, sublistcount) sublistcount = sublistcount // 2 def gap_InsertionSort(nlist,start,gap): for i in range(start+gap,len(nlist),gap): current_value = nlist[i] position = i while position>=gap and nlist[position-gap]>current_value: nlist[position]=nlist[position-gap] position = position-gap nlist[position]=current_value Bubble Sort Bubble sort compares adjacent elements of an array and organizes those elements. Its name comes from the fact that large numbers tend to “float” (bubble) to the top. It loops through an array and sees if the number at one position is greater than the number in the following position which would result in the number moving up. This cycle repeats until the algorithm has gone through the array without having to change the order. This method is advantageous because it is simple and works very well for mostly sorted lists. As a result, programmers can quickly and easily implement this sorting algorithm. However, the tradeoff is that this is one of the slower sorting algorithms. Main Characteristics: Exchange sorting Easy to implement Worst Case = O(n^2) Python implementation: #!/usr/bin/env python3 # -*- coding: utf-8 -*- """ Created on Sun Mar 10 18:05:51 2019 @note: Exchanging sort - Bubble Sort algorithm @source: """ def bubbleSort(alist): for passnum in range(len(alist)-1,0,-1): for i in range(passnum): if alist[i]>alist[i+1]: temp = alist[i] alist[i] = alist[i+1] alist[i+1] = temp Quicksort Quicksort is one of the most efficient sorting algorithms, and this makes of it one of the most used as well. The first thing to do is to select a pivot number, this number will separate the data, on its left are the numbers smaller than it and the greater numbers on the right. With this, we got the whole sequence partitioned. After the data is partitioned, we can assure that the partitions are oriented, we know that we have bigger values on the right and smaller values on the left. The quicksort uses this divide and conquer algorithm with recursion. So, now that we have the data divided we use recursion to call the same method and pass the left half of the data, and after the right half to keep separating and ordinating the data. At the end of the execution, we will have the data all sorted. Main characteristics: From the family of Exchange Sort Algorithms Divide and conquer paradigm Worst case complexity O(n^2) Python implementation: #!/usr/bin/env python3 # -*- coding: utf-8 -*- """ Created on Sun Mar 10 18:09:35 2019 @note: Exchanging sort - Bubble Sort algorithm @source: """ def quickSort(alist): quickSortHelper(alist,0,len(alist)-1) def quickSortHelper(alist,first,last): if first